

MOHAMED SATHAK HAMID COLLEGE OF ARTS AND SCIENCE FOR WOMEN (Promoted By Mohamed Sathak Trust, Chennai & Affiliated to Algappa University, Karaikudi) Pokkuvarathu Nagar, Rameswaram Main Road, Vani Post, Sakkarakottai (Panchayat) Ramanathapuram – 623 536.



ALAGAPPA UNIVERSITY, KARAIKUDI NEW SYLLABUS UNDER CBCS PATTERN FOR AFFILIATED COLLEGES WITH EFFECT FROM THE ACADEMIC YEAR 2022-2023 ONWARDS

B.Sc. MATHEMATICS Programme Structure

Sem.	Part	Course	Courses Title of the Pape	Title of the Paner	T/P	Credit	Hours/ Week	Ma	x. Mai	·ks
	1 41 1	Coue		The of the Laper			week	Int.	Ext.	Total
	Ι	2211T	T/OL	Tamil/Other Languages-I	Т	3	6	25	75	100
	Π	712CE	Е	Communicative English -I	Т	3	6	25	75	100
		22BMA1C1	CC	Differential Calculus and Trigonometry	Т	5	5	25	75	100
		22BMA1C2	CC	Classical Algebra	Т	4	4	25	75	100
I	III	-	AL-IA	Statistics – I (or) Physics/ Chemistry / Computer Science	Т	3	3	25	75	100
		-	AL-IA	Practical- Respective Allied Theory Course	Р	2	2	40	60	100
	IV	22BVE1	SEC -I	Value Education	Т	2	2	25	75	100
				Library			2			
		2221T		Total	-	22	30	190	510	700
	Ι	2221T	T/OL	Tamil/Other Languages-II	Т	3	6	25	75	100
	II	722CE	Е	Communicative English - II	Т	3	6	25	75	100
		22BMA2C1	CC	Analytical Geometry and Vector Calculus	Т	5	5	25	75	100
	III	22BMA2C2	CC	Integral Calculus	Т	4	4	25	75	100
		-	AL-IB	Statistics – II (or) Physics/ Chemistry /Computer Science	Т	3	3	25	75	100
Π		-	AL-IB	Practical- Respective Allied Theory Course	Р	2	2	40	60	100
	IV	22BES2	SEC-II	Environmental Studies	Т	2	2	25	75	100
				Library			2	100		
	т	2221T	T/OI	Total	Ŧ	22	30	190	510	700
	I TT	22311	I/OL	Tamil/Other Languages-III		3	6	25	/5	100
	11	2232E	E CC	Differential Equations	I T	5	6	25	/5	100
		$\frac{22 \text{DMA3C1}}{22 \text{RMA3C2}}$		Abstract Algebra	I T	3	3	25	75	100
		-	AL-IIA	Statistics – I (or) Physics/ Chemistry /Computer Science	T	3	3	25	75	100
	111	-	AL-IIA	Practical- Respective Allied Theory Course	Р	2	2	40	60	100
ш		22BE3	SEC-III	Entrepreneurship	Т	2	2	25	75	100
		-		Adipadai Tamil	Т					
	IV		NME-I	AdvanceTamil IT Skills for Employment/MOOC'S		2	2	25	75	100
				Total		24	30	215	585	800
	I	2241T	T/OL	Tamil/Other Languages -IV	Т	3	6	25	75	100
	II	2242E	Е	English for Enrichment-II	Т	3	6	25	75	100
		22BMA4C1	CC	Sequences and Series	Т	4	4	25	75	100
		22BMA4C2	CC	Linear Algebra	Т	4	4	25	75	100

		22BMA4C3	CC	Transform Techniques	Т	3	3	25	75	100
	ш	-	AL-IIB	Statistics – II (or) Physics/ Chemistry / Computer Science	Т	3	3	25	75	100
IV		-	AL-IIB	Practical-Respective Allied Theory	Р	2	2	40	60	100

				Course						
	IV	-	NME-II	Adipadai Tamil AdvanceTamil Small Business Management/MOOC'	Т	2	2	25	75	100
				Total		24	30	215	585	800
		22BMA5C1	CC	Real Analysis	Т	4	5	25	75	100
		22BMA5C2	CC	Graph Theory	Т	4	5	25	75	100
		22BMA5C3	CC	Operations Research - I	Т	4	4	25	75	100
		22BMA5C4	CC	Numerical Analysis	Т	4	4	25	75	100
	Ш	22BMA5P1/	CC	Practical-I – Choose any ONE (A) A Practical Approach to Optimization Techniques	Р	4	5	40	60	100
v		22BMA5P2		(B) MS Office with Lab						
		22BMA5P3/	CC	Practical-II - Choose any ONE (A) An Algorithmic Approach in Numerical Analysis	Р	4	5	40	60	100
		22BMA5P4		(B) LaTex						
				Career development/employability skills			2			
				Total		24	30	180	420	600
		22BMA6I		Internship		24	30	150	250	400
		22BMA6I		Internship Or		24	30	150	250	400
		22BMA6I 22BMA6E1		Internship Or Complex Analysis	Т	24 6	30 6	150 25	250 75	400 100
		22BMA6I 22BMA6E1 22BMA6E2		Internship Or Complex Analysis Operations Research - II	T T	24 6 6	30 6 6	150 25 25	250 75 75	400 100 100
		22BMA6I 22BMA6E1 22BMA6E2 22BMA6E3		Internship Or Complex Analysis Operations Research - II Mechanics	T T T	24 6 6 6 6	30 6 6 6	150 25 25 25 25	250 75 75 75	400 100 100 100
		22BMA6I 22BMA6E1 22BMA6E2 22BMA6E3 22BMA6E4		Internship Or Complex Analysis Operations Research - II Mechanics Number Theory	T T T T	24 6 6 6 6 6	30 6 6 6 6 6	150 25 25 25 25 25 25	250 75 75 75 75 75	400 100 100 100 100
		22BMA6I 22BMA6E1 22BMA6E2 22BMA6E3 22BMA6E4		Internship Or Complex Analysis Operations Research - II Mechanics Number Theory Library/ Yoga etc	T T T T	24 6 6 6 6	30 6 6 6 6 2	150 25 25 25 25 25	250 75 75 75 75	400 100 100 100 100
		22BMA6I 22BMA6E1 22BMA6E2 22BMA6E3 22BMA6E4	DSE	Internship Or Complex Analysis Operations Research - II Mechanics Number Theory Library/ Yoga etc Career development/employability skills/Fieldtrip	T T T T	24 6 6 6 6 -	30 6 6 6 6 2 4	150 25 25 25 25 25 25	250 75 75 75 75 -	400 100 100 100
		22BMA6I 22BMA6E1 22BMA6E2 22BMA6E3 22BMA6E4	DSE	Internship Or Complex Analysis Operations Research - II Mechanics Number Theory Library/ Yoga etc Career development/employability skills/Fieldtrip	T T T T	24 6 6 6 - 24	30 6 6 6 2 4 30	150 25 25 25 25 25 100	250 75 75 75 75 - 300	400 100 100 100 400
VI	III	22BMA6I 22BMA6E1 22BMA6E2 22BMA6E3 22BMA6E4	DSE	Internship Or Complex Analysis Operations Research - II Mechanics Number Theory Library/ Yoga etc Career development/employability skills/Fieldtrip Or	T T T T	24 6 6 6 - 24	30 6 6 6 2 4 30	150 25 25 25 25 - 100	250 75 75 75 75 - 300	400 100 100 100 400
VI	Ш	22BMA6I 22BMA6E1 22BMA6E2 22BMA6E3 22BMA6E4 22BMA6E4 22BMA6PR	DSE	Internship Or Complex Analysis Operations Research - II Mechanics Number Theory Library/ Yoga etc Career development/employability skills/Fieldtrip Or Project	T T T	24 6 6 6 - 24 6	30 6 6 6 2 4 30 10	150 25 25 25 25 - 100 25	250 75 75 75 - 300 75	400 100 100 100 100 400 100
VI	Ш	22BMA6I 22BMA6E1 22BMA6E2 22BMA6E3 22BMA6E4 22BMA6E4 22BMA6PR 22BMA6PR	DSE	Internship Or Complex Analysis Operations Research - II Mechanics Number Theory Library/ Yoga etc Career development/employability skills/Fieldtrip Or Project Complex Analysis	T T T T	24 6 6 6 - 24 6 6 6	30 6 6 2 4 30 10 6	150 25 25 25 25 100 25 25 25 25 25 25 25 25 25 25 25 25 25 25 25 25 25 25	250 75 75 75 75 - 300 75 75	400 100 100 100 400 100 100 100
VI	III	22BMA6I 22BMA6E1 22BMA6E2 22BMA6E3 22BMA6E4 22BMA6E4 22BMA6PR 22BMA6E1 22BMA6E2	DSE	Internship Or Complex Analysis Operations Research - II Mechanics Number Theory Library/ Yoga etc Career development/employability skills/Fieldtrip Or Project Complex Analysis Operations Research -II	T T T T	24 6 6 6 - 24 6 6 6 6	30 6 6 6 2 4 30 10 6 6	150 25 25 25 25 - 100 25 25 25 25 25 25 25 25 25 25 25 25 25 25 25 25 25 25 25	250 75 75 75 75 - 300 75 75 75	400 100 100 100 400 100 100 100
VI	III	22BMA6I 22BMA6E1 22BMA6E2 22BMA6E3 22BMA6E4 22BMA6E4 22BMA6PR 22BMA6PR 22BMA6E1 22BMA6E2 22BMA6E3	DSE	Internship Or Complex Analysis Operations Research - II Mechanics Number Theory Library/ Yoga etc Career development/employability skills/Fieldtrip Career development/employability skills/Fieldtrip	T T T T T T	24 6 6 6 - 24 6 6 6 6 6	30 6 6 6 2 4 30 10 6 6 6	150 25 25 25 25 25 100 25 25 25 25 25 25 25 25 25 25 25 25 25 25 25 25 25 25	250 75 75 75 75 - 300 75 75 75 75	400 100 100 100 400 100 100 100
VI	III	22BMA6I 22BMA6E1 22BMA6E2 22BMA6E3 22BMA6E4 22BMA6E4 22BMA6PR 22BMA6PR 22BMA6E1 22BMA6E2 22BMA6E3	DSE	Internship Or Complex Analysis Operations Research - II Mechanics Number Theory Library/ Yoga etc Career development/employability skills/Fieldtrip Skills/Fieldtrip Complex Analysis Operations Research -II Mechanics Library/Yoga /Career development /employability skills/Field trip etc.	T T T T T T	24 6 6 6 - 24 6 6 6 6 6 6 6	30 6 6 6 6 6 6 2 4 30 10 6 6 6 2	150 25	250 75 75 75 300 75 75 75 75 75 75 75 75 75	400 100 100 100 100 400 100 100
VI	III	22BMA6I 22BMA6E1 22BMA6E2 22BMA6E3 22BMA6E4 22BMA6E4 22BMA6E4 22BMA6E1 22BMA6E1 22BMA6E2 22BMA6E3	DSE others	Internship Or Complex Analysis Operations Research - II Mechanics Number Theory Library/ Yoga etc Career development/employability skills/Fieldtrip Career development/employability skills/Fieldtrip Complex Analysis Operations Research -II Mechanics Library/Yoga /Career development /employability skills/Field trip etc.	T T T T T T	24 6 6 6 - 24 6 6 6 6 6 6 24	30 6 6 6 2 4 30 10 6 6 6 6 2 30	150 25 25 25 25 100 100	250 75 75 75 75 300 75 75 75 75 75 300	400 100 100 100 100 400 100 100

Sam	Part	Course	Title of the Paper	Credit	Hours/		Max. Marl	KS
sem.		Code			week	Int.	Ext.	Total
Ι	III	71BEPP	Professional English for Physical Science-I	4	5	25	75	100
II		72BEPP	Professional English for Physical Science-II	4	5	25	75	100
III		*	Professional English for Physical Science-III	4	5	25	75	100
IV			Professional English for Physical Science-IV	4	5	25	75	100

*The Syllabus of Professional English for III & IV Semester will be provided after Receiving the syllabus from TANSCHE.

As per TANSCHE, the Professional English book will be taught to all four streams apart from the existing hours of teaching/additional hours of teaching (1hour/day) as a 4 credit paper as an add on course on par with Major paper and completion of the paper is a must to continue his/her studies further.

- ➢ TOL-Tamil/Other Languages,
- ➢ E−English
- CC-Core course–Core competency, critical thinking, analytical reasoning, research skill & teamwork
- Allied –Exposure beyond the discipline
- AECC—Ability Enhancement Compulsory Course(Professional English & Environmental Studies) -Additional academic knowledge, psychology and problem solving etc.,
- SEC-Skill Enhancement Course-Exposure beyond the discipline (Value Education, Entrepreneurship Course, Computer application for Science etc.,
- > NME -Non Major Elective-Exposure beyond the discipline
- > DSE- Discipline specific elective -- Student choice- either or
 - Internship
 - If internship–Marks = Internal = 150 (75+75) two midterm evaluation through Viva voce and External = 250 marks (Report = 150+VivaVoce =100) = Total 400 marks
 - Theory papers or
 - Project +3 theory papers.
- MOOCs–Massive Open Online Courses.
- ➢ T- Theory, P- practical

	Semester - I						
Course code	Core Course - I	T/P	С	H/W			
22BMA1C1	DIFFERENTIAL CALCULUS AND TRIGONOMETRY	Т	5	5			
Objectives	➢ To find the rate of change of a quality with respect to other.						
	To understand the concepts of differential calculus in depth.						
	To analyze the behavior of various curves.						
Unit -I	Successive differentiation – Expansion of functions - Leibnitz Min of function of two variables.	formul	a – M	ax and			
Unit-II	Sub tangent and Subnormal - Polar coordinates - Angle bet	ween th	e tang	gents -			
	Slope of the tangent –Angle of intersection of two curves.			2			
Unit- III	Envelopes - Curvature - Circle, Radius and Centre of Curvatu	re – Ev	olutes	•			
Unit- IV	Application of DeMovire's Theorem - Expansions of sin r	nθ, cos	nθ, ta	n nθ -			
	Expansions of sin θ and cos θ in ascending powers of θ – Expa	nsions	of sin	$n\theta$ and			
	$\cos^n\theta$ interms of multiple angles						
Unit -V Hyperbolic functions – Inverse hyperbolic functions.							
Textbooks							
Narayanan, S	., & Manicavachagom Pillay, T.K. (2015). Calculus (Vol. I). S.	.Viswaı	nathan	L			
(Printers a	nd Publishers) Pvt. Ltd.						
Narayanan, S and Publis	., & Manicavachagom Pillay, T.K. (2009). <i>Trigonometry</i> . S.Vishers) Pvt. Ltd.	swanatl	nan (P	rinters			
Reference B	ooks						
Arumugam, S Publishing	S., & Thangapandi Isaac, A. (2014). <i>Calculus</i> (Vol. I). Palayaml House.	kottai: N	New G	amma			
Venkatarama	n, M. K., & Manorama, S. (2001). <i>Calculus & Fourier Series</i> . Ch	ennai: '	The N	ational			
i uonsiinis	, Company.						
Outcomes	Students will be able to						
	Find maxima and minima of function of two variables.						
	\triangleright Expand $\cos^n\theta$, $\sin^n\theta$ and $\tan^n\theta$ in terms of θ .						

		Semester - I				
Course code	:	Core Course - II	T/P	С	H/W	
22BMA1C2		CLASSICAL ALGEBRA	Т	4	4	
Objectives	 To study the Relations between the roots and coefficients of equations. To understand the concepts of Various Inequalities and Series. 					
Unit -I	Theory of	Equations: - Relation between roots and coeffic	cients –	- Sym	imetric	
	functions o	f roots – Formation of equation – Transformation	of equa	tion.		
Unit-II	Reciprocal	equation - Descartes' rule of signs - Diminishing	g and In	creas	ing the	
	roots – Nev	wton's method of divisors – Horner's method.			C	
Unit- III	Inequalitie	s: – A.M., G.M., H.M. and Applications –	Cauchy	y Scł	iwartz	
	Inequality	– Weierstrass Inequality.	-			
Unit -IV	Binomial,	Exponential and Logarithmic series				
Unit -V	Summation of Series – Approximations					
Textbooks		11				
Manicavacha	agom Pillay.	T.K., Natarajan, T., & Ganapathy, K.S. (2013)). Alge	bra (Vol I).	
S.Viswana	athan Printers	and Publishers Pvt. Ltd.	. 0	,		
Manicavacha S Viswana	agom Pillay, athan Printers	T.K., Natarajan, T., & Ganapathy, K.S. (2013) and Publishers Pyt. I td	. Algeb	ora (V	/ol II).	
Reference R	ooks					
	S & Thang	anandilesae A (2011) Theory of Equations The	nm of λ	Tumba	prs and	
Trigonom	<i>etry</i> . Palaya	nkottai: New Gamma Publishing House.	<i>n y 0</i> j 1	umoe	ns unu	
Venkatarama	ın, M. K., &	Manoramma, S. (2002). Theory of Equations, Theory	ory of N	lumbe	ers and	
Inequalitie	es. Chennai: T	he National Publishing Company.				
Outcomes	Students	will be able to				
	Desci	ibe the relation between roots and coefficients.				
	➤ Trans	form the equation through roots multiplied by a	given	numb	er.	
	> Solve	the reciprocal equations.				

		Semester - II			
Course code:		Core Course - III	T/P	C	H/W
22BMA2C1		ANALYTICAL GEOMETRY AND VECTOR CALCULUS	Т	5	5
Objectives	AA	To introduce the concept of three dimensional coordinate geometry To understand the concept of vector integration, gradient and volum	in dep ne inte	oth. gral.	
Unit -I Intersection of perpendicular		atersection of two lines - Coplanar lines – Angle between a line and a erpendicular from a point to a line – Shortest distance - Distance between t	plane two ske	- Le w lin	ngth of les
Unit-II	S] sp	phere: Equation of a sphere in various forms – Tangent line and tangent phere and problems.	plane -	Sect	ion of a
Unit- III	C ci	one: Equation of a cone in various forms, simple problems - Cylinder rcular cylinder, simple problems	: Equa	tion	of right
Unit -IV	V	ector differentiation - Gradient, Curl, Divergence, Vector identities and pro-	oblems	5	
Unit- V		ector integration – Line integral – Surface integral - Volume integral - tokes theorem, Gauss's Theorem (Statements and verification only).	Green	ı's Th	eorem,

Textbook

Arumugam, S., & ThangaPandi Isaac, A. (2014). *Analytical Geometry of 3D and Vector Calculus*. Palayamkottai: New Gamma Publishing House

Reference Books

- Manicavachagom Pillay, T.K., & Natarajan, T. (2001). A text book of Analytical Geometry Part II Three Dimensions. S.Viswanathan (Printers and Publishers) Pvt. Ltd.
- Venkataraman, M.K., & Manorama, S. (2001). *Analytical Geometry 3D and Vector Calculus*. Chennai: National Publishing Company.
- Narayanan, S., & Manicavachagom Pillay, T.K. (1997). *Vector Calculus*. S.Viswanathan (Printers and Publishers) Pvt. Ltd.

Outcomes	Students will be able to
	> Describe the various forms of equation of a Plane, Straight line, Sphere, Cone
	and Cylinder.
	▶ Find the angle between planes, Bisector planes, Perpendicular distance from
	a point to a plane, Image of a line on a plane and Intersection of two lines
	Compute the angle between a line and a plane and length of perpendicular
	from a point to a line.

		Semester - II			
Course code	•	Core Course - IV	T/P	C	H/W
22BMA2C2		INTEGRAL CALCULUS	Т	4	4
Objectives	es > To evaluate integration of irrational functions and improper integrals.				
	> To understand the concepts of double and triple integration.				
Unit -I Definite In		egrals and their properties.			
Unit-II	Reduction f	formula for $\sin^n x$, $\cos^n x$, $\tan^n x$, $\sin^m x \cos^n x$ – Bernoulli's formula for $\sin^n x$, $\sin^n x \cos^n x$ – Bernoulli's formula for $\sin^n x$, $\sin^n x \cos^n x$ – Bernoulli's formula for $\sin^n x$, $\sin^n x \cos^n x$ – Bernoulli's formula for $\sin^n x$, $\sin^n x \cos^n x$ – Bernoulli's formula for $\sin^n x$, $\sin^n x \cos^n x$ – Bernoulli's formula for $\sin^n x$, $\sin^n x \cos^n x$ – Bernoulli's formula for $\sin^n x$, $\sin^n x \cos^n x$ – Bernoulli's formula for $\sin^n x$, $\sin^n x \cos^n x$ – Bernoulli's formula for $\sin^n x$ – Bernoulli's formula for $\sin^n x$, $\sin^n x \cos^n x$ – Bernoulli's formula for $\sin^n x$, $\sin^n x \cos^n x$ – Bernoulli's formula for $\sin^n x$, $\sin^n x \cos^n x$ – Bernoulli's formula for $\sin^n x$, $\sin^n x \cos^n x$ – Bernoulli's formula for $\sin^n x$, $\sin^n x \cos^n x$ – Bernoulli's formula for $\sin^n x$, $\sin^n x \cos^n x$ – Bernoulli's formula for $\sin^n x$, $\sin^n x \cos^n x$ – Bernoulli's formula for $\sin^n x$, $\sin^n x \cos^n x$ – Bernoulli's formula for $\sin^n x$, $\sin^n x \cos^n x$ – Bernoulli's formula for $\sin^n x$, $\sin^n x \cos^n x$ – Bernoulli's formula for $\sin^n x$, $\sin^n x \cos^n x$ – Bernoulli's formula for $\sin^n x \cos^n x$ – Bernoulli's formula formula for $\sin^n x \cos^n x$ – Bernoulli's formula formu	rmula.		
Unit -III	Double inte	grals – Change of variables – Jacobian.			
Unit- IV Triple integrals.					
Unit -V Beta and G		amma Integrals – Properties and Problems.			
Textbooks					

Narayanan, S., & Manicavachagom Pillay, T.K. (2016). *Calculus* (Vol.II). S.Viswanathan Printers and Publishers Pvt. Ltd.

Narayanan, S., & Manicavachagom Pillay, T.K. (2004). *Calculus* (Vol.III). S.Viswanathan Printers and Publishers Pvt. Ltd.

Reference Books

Narayanan, S. (2012). Integral Calculus. S.Chand & Co.

Venkataraman, M.K., & Manorama, S. (2001). *Calculus and Fourier series*. Chennai: The National Publishing Company.

Outcomes	Students will be able to
	Explain properties of Beta functions.
	Solve Basic Integral Calculus problems.
	Explain properties of definite integrals.
	Prove reduction formulae and solve some problems by using this
	formula.
	 Evaluate double and triple integrals.

		Semester - III					
Course code	2:	Core Course - V	T/P	C	H/W		
22BMA3C1		DIFFERENTIAL EQUATIONS	Т	5	5		
Objectives	 To gain To exposed solving problem 	 To gain logical skills in the formation of differential equations. To expose students to use differential equations as a powerful tool in problem solving and to inculcate the application of differential equation in real world problems. 					
Unit -I	Exact Difference for solving Equations (i) x expli Equation w	Exact Differential Equations – Conditions for equation to be exact –Working rule for solving it and problems – Equations of the first order but of higher degree – Equations solvable for p, x, y, Clairaut's form – Equations that do not contain (i) x explicitly (ii) y explicitly – Equations homogenous in x and y – Linear Equation with constant coefficients					
Unit-II	Linear equations with variable coefficients – Equations reducible to the linear equations – Simultaneous Differential Equations – First order and first degree – Simultaneous linear Differential Equations						
Unit III	Linear equ integral – Variation c	ations of the Second order – Complete Soluti Reduction to Normal form – Change of the f parameters	on given a independ	ı know ent va	n riable –		
Unit IV	Linear equations of second order with variable coefficients - Total Differential Equations – Necessary and Sufficient condition of integrability of $Pdx + Qdy + Rdz = 0$. Rule for solving it.						
Unit V	Partial Diff Derivation – Charpit's	Rdz = 0, Rule for solving it.Partial Differential Equations of the First order – Classifications of Integrals –Derivations of Partial Differential Equations – Special methods – Standard forms– Charpit's method.					
Textbook							

Narayanan, S., & Manicavachagom Pillay, T.K. (2015). *Differential Equations and its Applications*. S.Viswanathan (Printers and Publishers) Pvt. Ltd.

Reference Books

Arumugam, S., & Thangapandi Issac, A. (2014). *Differential Equations and its Applications*. Palayamkottai: New Gamma Publishing House.

Venkatraman, M.K. (1985). Engineering Mathematics. S.V. Publications.

Outcomes	Students will be able to
	Extract the solution of differential equations of the first order and of the
	first degree by variables separable, Homogeneous and Non-
	Homogeneous methods.
	> Find a solution of differential equations of the first order and of a
	degree higher than the first by using methods of solvable for p, x and y.
	Compute all the solutions of second and higher order linear differential
	equations with constant coefficients, linear equations with variable
	coefficients.
	➢ Solve simultaneous linear equations with constant coefficients and
	total differential equations.

	Semester - III							
Course code	:	Core Course - VI		T/P	C	H/W		
22BMA3C2			ABSTRAC	T ALGEBRA		Т	4	4
Objectives>To develop an understanding of fundamental algebraic s>To introduce the structure and characteristics of groups a			lgebraic strue of groups and	ctures. rings.				
Unit -I	Groups: D	efinition an	nd Examples	s – Elementar	ry Properties	s of a	Gro	oup –
	Equivalent examples.	Definitions	s of a Grou	p – Permutati	on Groups -	- Defir	nitior	is and
Unit-II	Subgroups	- Cyclic C	Broups – Or	der of an Elen	nent – Coset	s and	Lagr	ange's
	Theorem.							
Unit- III	Normal Su	bgroups and	l Quotient G	roups – Isomor	phism – Hor	nomorp	ohisn	n.
Unit- IV	Rings: Def	initions and Examples – Elementary properties of rings –						
	Isomorphism – Types of Rings – Characteristic of a ring – Subrings.							
Unit -V	Ideals – Qu	uotient rings	– Integral D	omain - Homo	omorphism o	f rings.		
Textbooks	·							

l extbooks

Arumugam, S., & Thangapandi Issac, A. (2003). Modern Algebra. Chennai: SciTech Publications Pvt. Ltd.

Khanna, V. K., & Bhambri, S.K. (2017). A Course in Abstract Algebra (Unit - IV & Unit -V). Vikas Publishing House Pvt. Ltd.

Reference Books

Herstein, N. (1975). Topics in Algebra. (Student 2ndedition). John Wiley India Pvt. Ltd.

Vasishta, A.R., &. Vasishtha, A.K. (2015). Modern Algebra. Meerut: Krishna Prakashan Mandhir Media Pvt. Ltd.

Outcomes	Students will be able to
	Define subgroup, Center, Normalizer of a subgroup.
	> Find cycles and transpositions of a given permutations.
	> Prove Lagrange's theorem, Euler's theorem and Fermat's theorem.
	> Define normal subgroups, quotient groups and index of a subgroup.
	➢ Understanding the concept of the rings and integral domain.

Semester - IV						
Course code:		Core Course - VII		С	H/W	
22BMA4C1		SEQUENCES AND SERIES	Т	4	4	
Objectives	➤ To unde	erstand the concept of convergence of a real sequen	nce.			
	To discuss the techniques of testing the behavior of infinite series.					
Unit -I	Sequences:	Definition and examples for Sequences, Conver	gence,	Diver	rgence.	
	Oscillation,	Monotonic and Bounded sequences, Subsequence an	d Cauc	hy sec	juence.	
	Theorems on Algebra of Limits.					
Unit-II	Theorems of	on Monotonic sequence - Theorem on Cauchy sequer	nce - Ca	uchy g	general	
	Principle of	convergence - Behavior of Geometric sequence.				
Unit- III	Infinite seri	es: Series of positive terms - Cauchy's General Princip	ole of C	onver	gence -	
	Comparison	n test – Harmonic series.			-	
Unit- IV	Kummer's	test – Raabe's test – D' Alembert's ratio test – Cauch	y's root	t test –	- Gauss	
	test and Pro	blems.				
Unit- V	Unit-V Cauchy Condensation test – Cauchy's integral test - Alternating series – Absolu				bsolute	
	convergenc	e-Conditionally convergence (Theorems) - Leibnitz's	s test an	d Prot	olems.	
Textbook						
Arumugam.	S., & Thang	apandiIssac, A. (2015). Sequences and Series. P	alavam	kottai	i: New	

Arumugam, S., & ThangapandiIssac, A. (2015). *Sequences and Series*. Palayamkottai: New Gamma Publishing House.

Reference Book

Manicavachagom Pillay, T.K., Natarajan, T., & Ganapathy, K.S. (1999). *Algebra* (Vol. I). S. Viswanathan (Printers and Publishers) Pvt. Ltd.

Outcomes	Students will be able to
	Understand different types of sequence.
	Discuss the behavior of the geometric sequence.
	Prove properties of convergent and divergent sequence.
	Verify the given series is convergent or divergent by using different
	tests.

Semester - IV							
Course code	:	Core Course - VIII	T/P	С	H/W		
22BMA4C2		LINEAR ALGEBRA	Т	4	4		
Objectives	> Intended	to develop an understanding of linear algebraic structur	es.				
	To unde	erstand of the concept of linear transformations and t	heir m	atrix	L		
	represei	ntation.					
Unit -I	Vector Spa	aces – Definition and examples – Subspaces – Linea	ır Tran	sfor	nation		
	– Span of a	– Span of a set.					
Unit-II	Linear Independence – Basis and Dimension – Rank and Nullity.						
Unit- III	Matrix of a	Linear Transformation – Inner Product Space – Det	finitior	and			
	examples – Orthogonality – Orthogonal complement.						
Unit- IV Algebra of Matrices – Types of Matrices – The inverse of a matrix – Element			entary				
	Transformations – Rank of a Matrix– Simultaneous Linear Equations.			-			
Unit- V	Characteristic Equation and Cayley – Hamilton theorem - Eigen Values and						
	Eigen Vectors - Bilinear forms – Quadratic forms.						
Textbook							
Arumugam, Public	, S., &Than cations (Indi	ngapandiIssac, A. (2003). <i>Modern Algebra</i> . Chenr a) Pvt. Ltd.	nai: Sc	iTec	h		
Reference	Books						
Sharma, J. 1 Mand	N., & Vashis ir.	tha, A. R. (1981). Abstract Algebra. Meerut: Krishna	a Praka	asam	L		
Vasistha, A	.R. (2019). <i>I</i>	Modern Algebra. Meerut: Krishna Prakashan Publica	tion.				
Outcomes	Students	s will be able to					
	 Critically analyze and construct mathematical arguments that relate to the study of introductory linear algebra 						
	 Study of introductory linear algebra. Use computational techniques and algebraic skills essential for the study of systems of linear equations matrix algebras, vector spaces, Eigen values, Eigen vectors, orthogonality and diagonalization. 						

	Semester - IV						
Course code	•	Core Course - IX		C	H/W		
22BMA4C3		TRANSFORM TECHNIQUES	T	3	3		
Objectives	▷ To intro	oduce the concept on Laplace, Fourier and Z - tran	sform o	of di	fferent		
	function	15.					
	> To learn the application of Laplace transform to solve Differential Equations						
	and Z – transform to solve Different equations.						
Unit -I	Unit -I Laplace Transform – Definition – Laplace Transform of Standard functions				ons —		
	Laplace Transform of Periodic functions.						
Unit-II	Inverse La	place Transforms – Standard formulae – Solving Ordinary					
	Differentia	l Equations with constant coefficients - Variable coefficients and					
	simultaneous linear equations using Laplace Transform.						
Unit- III	Fourier Se	ries - Definition - To find the Fourier coeffic	ients o	f Pe	riodic		
	functions of	f period 2 π .					
Unit- IV	Fourier Tra	ansforms - Complex form of Fourier Integral Form	ula – Fe	ourie	r		
	Integral the	eorem –Fourier Sine and Cosine.					
Unit -V	Z Transfor	ms – Definition – Properties – Z Transforms of sor	ne basi	c fur	nctions		
	and Problems – Inverse Z Transforms – Methods to find the inverse Z						
	Transform						
Textbooks	•						

Narayanan, S., & ManicavachagomPilla, T.K. (2014). *Calculus* (Vol. III). S.Viswanathan (Printers and Publishers) Pvt. Ltd.

Veerarajan, T. (2004). *Engineering Mathematics*. New Delhi: Tata McGraw Hill Publishing Company Limited.

Reference Books

Singaravelu, A. (2015). Transforms and Partial Differential Equations. Chennai: MeenakshiAgency.

Vittal, P.R. (2000). *Differential Equations*, *Fourier and Laplace Transforms, Probability*. Margham Publications.

Outcomes	Students will be able to
	Ability to compute the Fourier series of the function with one variable.
	Understand the nature of the Fourier series that represent even and odd functions.
	▶ Understand the concepts of Fourier transforms to the real world problems of
	circuit analysis and control system design.
	Apply z-transforms to solve the difference equations.

Semester - V								
Course code:		Core Course- X	T/P	C	H/W			
22BMA5C1		REAL ANALYSIS	Т	4	5			
Objectives	To enl	hance the knowledge of abstract mathematics on th	e real l	ine.				
	To int	To introduce the concepts for understanding and analyzing mathematics on						
	the me	the metric space.						
Unit -I	Countable	e and Uncountable sets – Metric spaces – Definitio	n and e	examp	oles –			
	Bounded	sets in a metric space - Open Ball in a metric space	e – Op	en se	ts.			
Unit-II	Subspace	- Interior of a set - Closed sets - Closure - Limit	point	– Den	se sets			
	– Comple	ete Metric Space.						
Unit- III	Continuit	y – Homeomorphism – Uniform continuity.						
Unit- IV	Connecte	dness - Definition and examples - Connected	subse	ets of	R –			
	Connectedness and Continuity.							
Unit- V	Compact	Metric spaces - Compact subsets of R -	Compa	ctnes	s and			
	Continuit	y.	I					
Textbook Arumugam, S	., & Thang	apandi Issac, A. (2015). <i>Modern Analysis</i> . Palayar	nkottai	: New	V			
Gamma P	ublishing l	House.						
Reference Bo	oks							
Goldberg, R.R	(2017). A	Methods of Real analysis. New Delhi: IBM Publish	ing.					
Rudin, W. (20 Internatio	7. (2012). <i>Principles of Mathematical Analysis</i> . Singapore: McGraw-Hill rnational Editions.							
Outcomes	Students	will be able to						
	≻ Learn	the concepts for understanding and analyzing abst	ract m	athem	atics			
	on the	e matric space.						
	 Acqui proper 	re the knowledge of real functions, limit of function rties.	ons and	d their	r			

		Semester - V	Semester - V									
Course code:		Core Course- XI	T/P	С	H/W							
22BMA5C2		GRAPH THEORY	Т	4	5							
Objectives	> To int	roduce basic concept of graph theory.										
	➢ To dev	elop theoretical aspects of graph theory.	1.1									
	🕨 Io app	bly graph theory based tools in solving practical p	broblems	•								
Unit -I	Definition	n and examples – Subgraphs – Isomorphism -	- Ramse	y Nur	nbers –							
	Independe	ent sets - Coverings - Intersection graphs - Li	ne graph	- Ma	trices –							
	Degree se	quences – Graphic sequences.										
Unit-II	Walks, tri	Walks, trials, paths – Connectedness and Components – Bipartite graph – Cut point										
	– Bridge -	Trees - Characterization of trees - Center of a tree	•									
Unit- III	Planarity – Euler's formula – Characterization of planar graphs - Thickness, Crossing											
	Number and outer planarity.											
Unit- IV	Chromatic number – Chromatic Index – Five colour theorem – Four colour											
	problem - Chromatic polynomials and their properties.											
Unit- V	Directed g	raphs – Connectivity in digraph - Strong orientation	graphs –	Tourr	naments.							
Textbooks Arumugam. S. (India) Pv	., & Ramao t. Ltd.	chandran, S. (2001). Invitation to Graph Theory	. Scitech	ı Publ	ications							
Choudam, S.A.	. (2019). <i>A f</i>	<i>îrst course in Graph Theory</i> . Laxmi Publications Po	vt. Ltd. (U	Jnit –	V)							
Reference Bo	oks											
Balakrishnan, Books Inc	R., & Ran lia.	ganathan, K. (2007). A Text Book of Graph The	eory. Ne	w Del	hi: Ane							
Clark, J., & Ho	olton, D.A.	(2005). A First Look at Graph Theory. New De	lhi: Allie	d Pub	lishers.							
Harary, F. (20	01).Graph	Theory. Narosa Publishing Company.										
Narasingh, D. New Delh	(1974). <i>Gr</i> ni: Prentice	<i>aph Theory with Applications to Engineering a</i> Hall of India.	nd Com	puter	Science							
Outcomes	Students	will be able to										
	> Under	stand fundamental definitions of graph theory.										
	≻ Learn	a clear perspective of solving real life problems using	g graph th	eory.								
	Use a thinking	combination of theoretical knowledge and inden ing for creative research in graph theory.	pendent	mathe	ematical							

Semester - V								
Course code	:	Core Course- XII		T/P	C	H/W		
22BMA5C3		OPERATIONS RESEARCH	I - I	Т	4	4		
Objectives	➢ To form	ulate linear programming problem for	simple mathe	matica	l mo	dels.		
	\succ To deve	op mathematics skills to analyse and s	solve linear pr	ogram	min	g		
	problem	problems in a wide range of applications. ear Programming problem – Mathematical formulation of the problem –						
Unit -1	Linear Pro	gramming problem – Mathematical	formulation c	of the	prob	olem –		
	Illustration	ustration on Mathematical formulation of linear programming problems –						
	Graphical	aphical solution method – Some exceptional cases – General linear						
	programmi	rogramming problem – Canonical and Standard forms of L.P.P – Simplex						
	method.							
Unit-II	Use of Art	ficial variables (Big M method) - Ty	wo Phase me	thod -	Dua	ılity in		
	linear prog	ramming – General primal and dua	ıl pair – For	mulati	ng a	i Dual		
	problem – Primal–Dual pair in matrix form – Duality Theorems –							
	Complementary Slackness Theorem – Duality and Simplex method – Dual							
	simplex me	simplex method.						
Unit -III	Introduction – L.P. formulation of T.P. – Existence of solution in T.P. – The							
	Transporta	Transportation table – Loops in T.P. – Solution of a Transportation problem –						
	Finding a	Finding an initial basic Feasible solution (NWCM – LCM – VAM) –						
	Degenerac	Degeneracy in TP – Transportation Algorithm (MODI Method) – Unbalanced						
	T.P – Max	mization T.P.						
Unit -IV	Assignmen	problem – Introduction – Mathematic	cal formulation	on of th	ne pr	oblem		
	– Test for	ptimality by using Hungarian method	l – Maximizat	ion ca	se in	L		
	Assignmen	problem.						
Unit- V	Sequencing	problem – Introduction – Problem of	sequencing -	Basic	term	s used		
	in Sequence	ng– n jobs to be operated on two ma	chines – n jol	bs to b	oe op	berated		
	on K mach	ines.						
Textbook								
Swarup, K.	., Gupta, P.H	., & Mohan, M. (2008). Operations	Research. No	ew De	lhi:	Sultan		
Chand	& Sons.							
Reference B	ooks							
Gupta, P.K	., & Hira, D.	. (2004). Operations Research. New I	Delhi: S.Chan	d & C	0.			
Taha, H.A.	(2017). Ope	ations Research–An Introduction. Pea	rson Prentice	Hall.				
Outcomes	Outcomes Students will be able to							

Outcomes	Students will be able to
	Develop a general understanding of the operation research methodology to
	decision making.
	➢ Identify best techniques to solve a specific problem in linear model of operation
	research.

Semester - V								
Course code:		Core Course- XIII	T/P	C	H/W			
22BMA5C4		NUMERICAL ANALYSIS	Т	4	4			
Objectives	\succ To exp	pose the students to various tools in solving nume	rical pro	blem	S.			
	➢ To pre NET,	To prepare the students for competitive examinations like GATE, CSIR- NET, SLET, etc.						
Unit -I	Solution	Solution of Algebraic and Transcendental equations - Introduction, Bisection						
	Method ·	- Iteration Method - Method of False Position	- Newt	on Ra	aphson			
	Method.							
Unit-II	Interpola	tion: Finite differences - Forward differences - B	ackward	l diffe	rences			
	- Central	differences - Symbolic relations - Newton's form	ula for I	Interp	olation			
	– Interpo	lation with unevenly spaced points - Lagrange'	s Interp	olatic	m			
	formula.							
Unit- III	Numerica	I Differentiation and Integration – Introduction, N	Jumeric	al				
	Different	iation – Cubic Spline method – Maximum and M	inimum	value	es of a			
	tabulated	function - Numerical Integration - Trapezoidal R	ule and	Simp	son's			
	1/3 and 3	/8 rules.						
Unit- IV	Matrices	and Linear system of Equations – Gaussian Elimi	nation N	Metho	d -			
	Modifica	tion of the Gauss Method to compute the inverse -	- Iterati	ve Me	thod –			
	Jacobi an	d Gauss Seidal Methods.						
Unit- V	Numerica	al Solutions of Ordinary Differential Equations – S	Solution	by Ta	aylor			
	Series - P	icard's Method of Successive Approximations - F	Runge –	Kutta	Ļ			
	Methods.							
Textbook	•							
Sastry, S.S. (2	012). Intro	ductory Methods of Numerical Analysis. New De	lhi: PHI	Lear	ning			
Pvt. Ltd.								

Reference Books

Kandasamy, P., Thilagavathy, K.,& Gunavathy, K.(2008). *Numerical Methods*. S.Chand Publications.

Arumugam, S., ThangapandiIssac, A., & Somasundaram, A. (2013). *Numerical Analysis with Programming in C.* Palayamkottai: New Gamma Publishing House.

Outcomes	Students will be able to
	Learn a sufficient exposure in constructing difference tables and to use newton's
	forward and backward formula for interpolation in equal intervals.
	Understand the numerical integration by using trapezoidal and Simpson's rule.

	SEMESTER V			
Course Code	Core Practical – I(A)	T/P	C	H/W
22BMA5P1	A PRACTICAL APPROACH TO OPTIMIZATION	Р	4	5
	TECHNIQUE			
Objectives	> To enlighten the students in the field of operations research.			
	To train the students to apply OR techniques in business and managem	ent pr	oble	ms
Linear Prog	amming Problems			
1. Form	late a real life situation into an LPP and solve it using graphical method.			
2. Form	late a real life situation into an LPP and solve it by selecting the appropriat	e meth	iod a	mong
simpl	ex method, two phase simplex method, Big-M method and duality. Explain	why y	ou c	hoose
this m	ethod to solve this problem.			
3. Solve	LPP with unrestricted variables.			
Transportat	on Problems			
4. Expla	in Modified Distribution method for obtaining optimum solution to the give	en tran	spor	tation
proble	m. Solve a TP using this method.			
5. Solve	a transportation problem with prohibited route.			
6. Solve	a transportation problem with maximization objective.			
Assignment	Problems			
7. Expla	in Hungarian algorithm for solving assignment problem and apply this algor	ithm t	o so	ve an
assign	ment problem with maximization objective.			
8. Solve	an assignment problem with restricted assignment, that is, restrict to conditi	on.		
9. Solve	an assignment problem with condition assignment, that is, facilitative cond	ition.		
10. Form	ilate a Crew assignment problem into an AP and solve it.			
Outcomes	Students will be able to			
	Acquire knowledge about the transportation and assignment problems.			
	Understand to solve real life oriented problems.			
Tutor'	Guide			

Tutor's Guide

- All the Questions can be solved by applying the concepts through the pen and paper mode. (Solving through computer is not necessary for this paper, but if students are interested then they can do on their own).
- For Question: 1, select a problem with atleast 4 constraints.
- For Question: 2, Practice atleast three problems in each case.
- Practice atleast three problems for all 10 questions in the observation notebook.
- Write exactly one problem for all questions from the observation notebook with your own choice from the three.

Guide to write the record notebook

- For Questions 1 to 10 write the formulation and the algorithm of the method used in the right hand side page of the record notebook; solution of particular problem in the left hand side page of the record notebook.
- Write the objective of the problem first, then write the mathematical formation if any, then write the algorithm used as said in the previous point, finally write the solution as result.

		Semester - V						
Course code:		Core Practical – I(B)	ctical – I(B) T/P C H/W					
22BMA5P2		MS OFFICE WITH LAB	P	4	5			
Objectives	> To dev	velop the knowledge of computer.						
	To know the importance of Word, Excel and Power Point.							
Unit -I	MS Wor	d introduction - Word for Windows - Creating	ng a D)ocur	nent -			
	Changing	anging the Format Text - Cut, Copy, Paste - Advanced format (borders,						
	tables, pie	ctures) - Define Document and Tool - Saving your V	tures) - Define Document and Tool - Saving your Work - Setting your					
	Page - Pre	eview the Document.						
Unit-II	MS Word	d's Master Document - Find and Replace - Define	e Templ	ate S	Styles -			
	Toolbars	- Headers and Footers - Spelling Check -	Gramm	nar (Check,			
	Hyphena	phenation - Auto Correct - Bullets and Numbers - Table Creation - Mail						
	Merge.							
Unit- III	MS Excel Introduction – Explanations for Excel page (row, column, and cells)							
	- How to	- How to enter data - Usage of Formula and Functions and Creating Excel Chart						
	(Area, Ba	r, Column, Doughnut, Line, Pie, Radar and 3-D Ch	arts).					
Unit- IV	Data Ma	nipulation - Setting Printer Range - Resize the	Margin	- V	arious			
	types of I	Functions (Statistical Mathematical String, Logical	Date a	nd T	ime) –			
	Data Que	ry - Fill Table.						
Unit- V	What is I	Power Point – why – Use – Define Presentation ar	nd Wiza	rd –	Power			
	Point Slic	de Changer – Adding Slide message – Slide Show	- What	is Ac	ccess –			
	What is I	Database – What are Tables, Queries, Forms – Crea	ating a T	Fable	using			
	Wizard -	Creating a Form using a Wizard.						
Textbook								
Davenport, J., New Ride	Greaves, C rs Publishir	., Groh, M.,& Hallberg, E. (1994). <i>Inside Microsoft</i> (ng. Chapters: 1, 2, 3, 8, 9, 10, 12, 16, 17, 19, and 20	Office Pi	rofes	sional.			
Outcomes	Students	s will be able to						
	> Enrich	the knowledge in formatting document of varies types	5.					
	> Prepar	re Excel worksheets and Power Point design.						

I	SEMESTER V									
Course Cod	le	Core Practical -II(A)	T/P	С	H/W					
22BMA5P3	Γ	AN ALGORITHMIC APPROACH IN NUMERICAL	Р	4	5					
		ANALYSIS								
Objectives		To know the applications behind various numerical methods.								
-	\succ	To apply the concepts to solve mathematical problems.								
Problems										
1. Expla exam	ain 1ple	the secant method for solving algebraic equations. Execute thi	s metł	nod v	vith an					
2. Explain Ramanujan's method to find the smallest root of algebraic or transcendental.										
3. Expl	3. Explain Stirling's formula for interpolation with an example.									
4. Expl	ain	Bessel's formula for interpolation with an example.								
5. Expl	ain	Laplace - Everett formula for interpolation with an example.								
6. Expl	ain	Newton's divided difference for interpolation with an example.								
7. Expl	ain	Boole's rule for numerical integration with an example.								
8. Expl	ain	Weddle's rule for numerical integration with an example.								
9. Expl	ain	Gauss-Jordan method and hence solve the system of linear equa	tions.							
10. Expl	ain	Gauss-Seidal method and hence solve the system of linear equat	ions.							
11. Expl	ain	Milne's predictor-corrector method to solve ordinary differentiation	al equ	atior	ns with					
an ex	kam	ple.								
12. Expl	ain	Adam-Bashforth predictor-corrector method to solve ordinar	y diff	erent	ial					
equa	tion	s with an example.								
Outcomes										
Students wil	l be	able to								
 Estal 	olis	n the advantages of operations research.								
• Gain	a tl	norough knowledge of operations research for problems solving.								
Tutor's Gui	ide		1		1					
• All t mode	ine e. (este	Questions can be solved by applying the concepts through the Solving through computer is not necessary for this paper, b d then they can do on their own).	ne per ut if s	tude	nts are					
Pract	tice	atleast three problems for all questions in the observation notebo	ook.							
• Write choic	e ex ce fi	actly one problem for all questions from the observation noteborrow the three.	ok wi	th yo	ur own					
Guide to wr	rite	the record notebook								
• For a of th record	all t ie ro rd n	he Questions write the algorithm of the method used, in the rig ecord notebook; solution of particular problem in the left hand otebook.	ht har side	id sic page	le page of the					
Write probl	e th lem	e objective of the problem first, then write the basic concept , then write the algorithm used, as said in the previous point	s invo , final	lved ly w:	in that rite the					

		Semester - V							
Course code	:	Core Practical – II(B)	T/P	C	H/W				
22BMA5P4		LaTex	Р	4	5				
Objectives	> Und	erstand richness of Latex rather than using M.S word for	or						
	documentation.								
	> Prof	Proficient in documentation using mathematical symbols, graphs and tables.							
Unit -I	Text for	rmatting - TEX and its offspring - What is different in I	LATEX	Σ2ε -					
	Disting	Distinguishing LaTex 2ε - Basics of a LaTex file.							
Unit-II	Comma	nd names and Arguments - Environments - Declara	ations -	Len	igths -				
	Special	Characters - Spaces and Carriage Returns - Quotation	Marks	- Hy	phens				
	and Das	shes, Printing Command Characters- The Date – Exerci	ises.						
Unit- III	Docume	ent class - Page style - Parts of the document - Table of	conter	ts –					
	Automatic entries - Printing the table of contents - Fine-Tuning text – Line								
	breaking - Page breaking - Displayed Text – Changing font – Emphasis -								
	Choice of font size - Font attributes - Centering and indenting - Lists.								
Unit- IV	Tables -	- Printing literal text - Footnotes and Marginal notes.							
Unit -V	Mathem	natical environments - Main elements of math mode - M	Mathem	atica	ıl				
	symbols	s - Greek letters - Function names - Additional element	ts - Fine	e–tur	ning				
	mathem	atics - Horizontal spacing - Selecting font size in form	ulas.						
Textbook	1								
Kopka, H., &	2 Patrick,	W. D. (1999). A Guide to LATEX (3 rd Ed). London: Ad	ddison -	– We	sley.				
Reference B	ook								
Kavitha, V.,	& Mallik	arjunan, M. (2013). Fundamentals of Latex for Mathen	iatician	ıs.					
Germany	: Physicis	sts and Engineers, LAP Lambert Academy Publishing.							
Outcomes	Studer	nts will be able to							
	≻ Un	derstand basic concepts of Text formatting and LaTex	file						
	≻ De	monstrating command names and arguments.							
	≻ Ap	pply the commands to create document layout and displ	ayed or	utput					
	≻ Cr	eate Table, Printing Text, Foot notes and marginal note	s	-					
	≻ An	pply LaTex commands to mathematical formulae.							
	· - r	1.7							

			Sem	ester - VI					
Course code:				DSE-I		T/P	C	H/W	
22BMA6E1			COMPL	LEX ANAL	YSIS	Т	6	6	
Objectives	 To in Inter evalu 	 To introduce the basic concepts in complex analysis. Intended to develop an understanding of complex integration and evaluation of definite integrals. 							
Unit -I	Comple	ex numbers:	Modulus A	Amplitude	and Product of Co	mplex	Nur	nbers –	
	Equatio point - N	quations of Straight line, Circle – Reflection points - Concyclic point - Inverse bint - Meaning of Mod $\frac{Z-Z_1}{\binom{Z-Z_1}{Z-Z_2}}$ and amp $\frac{Z-Z_1}{\binom{Z-Z_2}{Z-Z_2}}$							
Unit-II	Analytic	alytic function – C.R equations – C.R. equations in Polar forms – Harmonic							
	function	ns.							
Unit- III	Bilinear	r transforma	tion - Cross	s ratio - Fix	ed points-Transform	nation	s whi	ich map	
	real axi	is to real as	kis – Unit d	circle to ur	nit circle and real	axis to	uni	t circle.	
	$w=z^2,$	$z = z^2$, $w = z^2$, $w = e^z$, $w = \frac{1}{z}$, $w = \sin z$, $w = \frac{1}{2(z + \frac{1}{z})}$.							
Unit -IV	Comple	ex Integration	on - Cauchy	y Integral 7	Theorem – Cauchy	Integr	al Fo	ormula -	
	Derivati	vivatives of Analytic Function - Moreras Theorem - Cauchy's Inequality -							
	Liouvill	lles Theorem – Fundamental Theorem of Algebra – Taylor's Theorem –							
	Taylor I	Laurentz Se	ries.						
Unit -V	Singula	r Points –	Argument	Principle -	- Rouche's Theore	em – (Calcu	ılus of	
	Residue	e-Residue	Theorem –	Evaluation	of Definite Integral	s.			
Textbook									
Arumugam, S. Chennai: S	, Thangar citech Pub	pandi Isaac olications (I	e, A., & S ndia) Pvt. L	omasundar .td.	ram, A. (2017). (Comple	x Ai	ıalysis.	
Reference Boo	oks								
Gupta, P.P., G	upta, R.K.	, &Gupta, S	S.(1992).Co	mplex Var	iables. Meerut: Ke	darnath	n Rar	nnath.	
Manicavachag Publishers)	om Pillay Pvt. Ltd.	, T.K. (199	94). <i>Compl</i>	lex Analysi	s. S.Viswanathan	(Printe	ers a	und	
Sharma, J. N. ((1997). <i>Fu</i>	enctions of a	ı Complex V	Variable. K	rishna Prakasan M	edia (P) Lto	1.	
Outcomes	Students	s will be al	ole to						
	> Under	rstand the im	portance of	analytic fun	ction.				
	Demo	onstrate and u	understand th	he concepts	in complex integrati	on.			

Semester - VI								
Course code	•	DSE-I	Ι	T/P	С	H/W		
22BMA6E2		OPERATIONS RE	SEARCH – II	Т	6	6		
Objectives	 To introduce the various techniques of operations research. Make the students to solve real life problems in business and management. 							
Unit -I	Replacement problem and System Reliability – Introduction – Replacement of Equipment / Assert that Deteriorates Gradually – Replacement of Equipment that fails suddenly.							
Unit-II	Inventory Control – Introduction – Types of Inventories – Reason for carrying Inventories – Costs Associated with Inventories – Factors affecting Inventory Control – The Concept of EOQ – Deterministic Inventory problems with no shortages, with shortages - Problems of EOQ with Price Breaks.							
Unit- III	Queuing Theory – Introduction – Queuing System – Elements of Queuing System – Operating Characteristics of a Queuing System – Deterministic Queuing System – Probability Distributions of Queuing Systems – Classification of Queuing models – Definition of Transient and Steady States – Poisson Queuing Systems – $(M/M/1) : (\infty/FIFO), (M/M/1) : (\infty/SIRO), (M/M/1)$: $(N/FIFO)$ – Generalized Model Birth – Death Process							
Unit- IV	Network Scheduling by PERT / CPM – Network Basic Components – Drawing Network – Critical path Analysis – PERT Analysis – Distinction between PERT and CPM.							
Unit -V	Game Theory – Two Person Zero – Sum Games – Basic Terms – Maximin – Minimax Principle – Games without Saddle Points – Mixed Strategies – Graphical solution of 2× n and m × 2 games – Dominance Property – General solution of m × n rectangular games.							
Textbook Swarup, K., Chand &	Gupta, P.K Sons, Educ	, & Mohan, M. (2008). tional Publishers.	Operations Research	. New	Delhi:	Sultan		
Reference B	ooks							
Gupta, P.K.,	& Hira, D.S	(2004). Operations Resea	rch. New Delhi: S.Ch	and &	Co.			
Kalavathy, S	. (2002). <i>Op</i>	rations Research. New De	elhi: Vikas Publishing	g House				
Taha, H.A. (2	2017). Oper	tions Research–An Introdi	uction. Pearson Prenti	ce Hall				
Outcomes	Students > Under proble object > Form	will be able to stand the mathematical tec ms with effective applicatives. late simple reasoning and	hniques to model and on to real life in optir learning optimization	analyzonizatior probler	e decisi 1 of ns.	on		

- Analyze a problem and select a suitable strategy.
 Apply an approximate method to obtain a solution for a problem.

		Semester - VI	Semester - VI								
Course code:		DSE-III	T/P	C	H/W						
22BMA6E3		MECHANICS	Т	6	6						
Objectives	To un	derstand the concept of different forces and momen	ts and t	heir							
	equili	brium with reference to a coordinate system.									
	► To wi	den appreciation of the variety of phenomena cover	ed by m	necha	anics						
	and th	e techniques available to handle them.	conniques available to handle them.								
TIn:4 T	Foregoine	by the an adequate foundation for further self – study	ide an adequate foundation for further self – study.								
	rorces ac	finding the Development – Developments – De	inntion	S — .							
	cases of	finding the Resultant – Parallelogram law of Fo	prces –	Ana	ilytical						
	Expression	on for the resultant of two forces acting at a point	– I rian	gle I	Law of						
	Forces –	Perpendicular Triangle of forces – Converse of T	riangle	of fo	orces –						
	The Poly	gon Law of forces – Lami's Theorem – An Exte	ended f	orm	of the						
	Parallelog	gram law of forces – Parallel forces – Resultant of	like par	allel	forces						
	– Unequ	al unlike parallel forces – Moments – Physic	al sign	nifica	nce –						
	Geometri	cal representation - Sign and unit of the mor	nent –	Var	igon's						
	theorem.										
Unit-II	Friction -	- Laws of friction Theorems - Equilibrium of a p	article	on a	rough						
	inclined p	l plane – (i) Under a force parallel to the plane – (ii) Under any forces –									
	Problems	s on Friction – Uniform String under the action of gravity – Equation									
	of the co	mmon catenary – Axis, Vertex, Directrix, Span and Sag – Tenson at									
	any point	•									
Unit- III	Projectile	e - Definition - fundamental principles - Path of	of the F	Proje	ctile –						
	Character	ristics of the motion of a projectile – Simple H	armonic	e mo	otion –						
	Equation	of Velocity – Displacement – Periodic time – I	Frequen	cy –	-						
	Amplitud	le – Composition of S.H.M.	I	5							
Unit -IV	Impact o	f two bodies – Collision of elastic bodies - Fur	damen	tal la	aws of						
	Impact –	Newton's Experimental law – Impact of a smooth	sphere	on	a fixed						
	smooth p	lane – Direct Impact of two smooth spheres – Los	s of kin	etic	energy						
	due to E	Direct Impact – Oblique Impact of two smooths	nheres	– L	oss of						
	Kinetic e	nergy due to Oblique Impact		_	000 01						
Unit- V	Motion 1	under a Central Force – Differential Equation of	Centra	1.0	rhits _						
	Perpendi	sular from the noise on the tangent $-$ Formulae in P	olar Co	ordi	nates _						
	Dedal Ea	unition of the Central Orbit Pedal equation of s	onar Co	f the	well						
	known or	ution of the Central Orbit – Fedar equation of s	ohleme		wen						
Taythaalya	KIIOWII CU	nves – velocities in a central orbit – 1 wo folded pr	obienns.								
Venkataran	nan, M. K.	(2014). Statics. Tiruchirapalli: Agasthiyar Publicati	ons.								
Venkataran	nan, M. K.	(2017). Dynamics. Tiruchirapalli: Agasthiyar Public	cations.								
Reference Bo	oks										

Cholton, F. (1962). Mechanics of Mathematics for Engineers. Wiley.

Duraipandian, P. (1984). Mechanics. Chennai: Emerald Publishers.

Narayanan, S. (1986). Dynamics. Chennai: S.Chand & Co.

Narayanan, S. (1986). Statics. Chennai: S.Chand & Co.

Vasuky, M.	(2020). <i>Mechanics</i> (1 st Ed.). Madurai: Shanlax Publications.
Outcomes	 Students will be able to Understand the concepts of statics and dynamics applicable in real life. Acquire wide knowledge of handling problems related to mechanics. Acquire sufficient knowledge for further studies in mechanics at a higher level.

Semester - VI								
Course code		DSE-IV	T/P	C	H/W			
22BMA6E4		NUMBER THEORY	Т	6	6			
Objectives	To stud	y the concept of mathematical induction, prime	numbers	and di	vision			
	algorith	ms.						
	🎽 To unde	erstand the concepts of congruence and quadratic	reciproc	city.				
Unit -I	Divisibility	Divisibility- Euclidean Algorithm - Primes - Fundamental theorem of						
	Arithmetic	Arithmetic.						
Unit-II	Congruenc	es – Fermat, Euler and Wilson's Theorems –	Lagrange	e Theo	orem –			
	Chinese Re	emainder Theorem – Solution of Congruence.						
Unit -III	Quadratic 1	Residues – Euler's Criterion – Gauss Lemma –	Quadratic	Reci	procity			
	law.							
Unit- IV	Arithmetic	Functions - Number of divisors- Sum of d	ivisors –	Eule	r's phi			
	function – Mobius function – Mobius inversion formula – Greatest integer							
	function –	Related problems.						
Unit -V	Numbers of Special Form – Perfect Numbers – Mersenne Primes and Amicable							
	Numbers - Fermat Numbers - Pepin's Test - Diophantine Equation -							
	Pythagorea	n Triplets.						
Textbook								
Burton,	D. M. (2012)	. Elementary Number theory. Universal book st	all.					
Reference B	ooks							
Andrews	s, G. E. (199	4). Number theory. Hindustan Publishing Corpo	ration.					
Apostol,	T. M. (1998). Introduction to analytic number theory. Naro	sa publisl	ning h	ouse.			
Narayan (Prin	an, S., & Ma nters and Pul	anicavachagom Pillay, T.K. (2012). <i>Algebra</i> (V blishers).	ol. I). S.	Viswa	nathan			
Niven, I east	., & Zucker ern.	man, H.S. (2015). An introduction to the theory	y of nun	nbers.	Wiley			
Outcomes	Students	will be able to						
	> Recal	the basic concepts of divisibility.						
	> Demo	nstrate renowned theorems in solving congruen	ce.					
	Discu	ss on quadratic congruence equations.						
	> Analy	ze various arithmetical functions.						
	Identi	fy the numbers of special form and apply divisil	oility rule	es in so	olving			
	Dioph	antine equations.	-		-			